

Electric charges exert a force on each other. If two charges are of opposite types, one positive and one negative, they each exert an attractive force on the other. If the two charges are the same type, each repels the other.

The magnitude of the force one point charge exerts on another is proportional to the product of their charges, and inversely proportional to the square of the distance between them:

$$F = k \frac{Q_1 Q_2}{r^2}; \quad (16-1)$$

this is **Coulomb's law**. In SI units,  $k$  is often written as  $1/4\pi\epsilon_0$ .

We think of an **electric field** as existing in space around any charge or group of charges. The force on another charged object is then said to be due to the electric field present at its location.

The *electric field*,  $\vec{E}$ , at any point in space due to one or more charges, is defined as the force per unit charge that would act on a positive test charge  $q$  placed at that point:

$$\vec{E} = \frac{\vec{F}}{q}. \quad (16-3)$$

The magnitude of the electric field a distance  $r$  from a point charge  $Q$  is

$$E = k \frac{Q}{r^2}. \quad (16-4a)$$

The total electric field at a point in space is equal to the vector sum of the individual fields due to each contributing charge (**principle of superposition**).

Electric fields are represented by **electric field lines** that start on positive charges and end on negative charges. Their

direction indicates the direction the force would be on a tiny positive test charge placed at a point. The lines can be drawn so that the number per unit area is proportional to the magnitude of  $E$ .

The static electric field inside a good conductor is zero, and the electric field lines just outside a charged conductor are perpendicular to its surface.

[\*The **electric flux** passing through a small area  $A$  for a uniform electric field  $\vec{E}$  is

$$\Phi_E = E_{\perp} A, \quad (16-7)$$

where  $E_{\perp}$  is the component of  $\vec{E}$  perpendicular to the surface. The flux through a surface is proportional to the number of field lines passing through it.]

[\***Gauss's law** states that the total flux summed over any closed surface (considered as made up of many small areas  $\Delta A$ ) is equal to the net charge  $Q_{\text{encl}}$  enclosed by the surface divided by  $\epsilon_0$ :

$$\sum_{\text{closed surface}} E_{\perp} \Delta A = \frac{Q_{\text{encl}}}{\epsilon_0}. \quad (16-9)$$

Gauss's law can be used to determine the electric field due to given charge distributions, but its usefulness is mainly limited to cases where the charge distribution displays much symmetry. The real importance of Gauss's law is that it is a general and elegant statement of the relation between electric charge and electric field.]

[\*In the replication of DNA, the electrostatic force plays a crucial role in selecting the proper molecules so that the genetic information is passed on accurately from generation to generation.]

## Questions

- If you charge a pocket comb by rubbing it with a silk scarf, how can you determine if the comb is positively or negatively charged?
- Why does a shirt or blouse taken from a clothes dryer sometimes cling to your body?
- Explain why fog or rain droplets tend to form around ions or electrons in the air.
- A positively charged rod is brought close to a neutral piece of paper, which it attracts. Draw a diagram showing the separation of charge and explain why attraction occurs.
- Why does a plastic ruler that has been rubbed with a cloth have the ability to pick up small pieces of paper? Why is this difficult to do on a humid day?
- Contrast the *net charge* on a conductor to the "free charges" in the conductor.
- Figures 16-7 and 16-8 show how a charged rod placed near an uncharged metal object can attract (or repel) electrons. There are a great many electrons in the metal, yet only some of them move as shown. Why not all of them?
- When an electroscope is charged, its two leaves repel each other and remain at an angle. What balances the electric force of repulsion so that the leaves don't separate further?
- The form of Coulomb's law is very similar to that for Newton's law of universal gravitation. What are the differences between these two laws? Compare also gravitational mass and electric charge.
- We are not normally aware of the gravitational or electric force between two ordinary objects. What is the reason in each case? Give an example where we are aware of each one and why.
- Is the electric force a conservative force? Why or why not? (See Chapter 6.)
- When a charged ruler attracts small pieces of paper, sometimes a piece jumps quickly away after touching the ruler. Explain.
- Explain why the test charges we use when measuring electric fields must be small.
- When determining an electric field, must we use a *positive* test charge, or would a negative one do as well? Explain.
- Draw the electric field lines surrounding two negative electric charges a distance  $l$  apart.
- Assume that the two opposite charges in Fig. 16-31a are 12.0 cm apart. Consider the magnitude of the electric field 2.5 cm from the positive charge. On which side of this charge—top, bottom, left, or right—is the electric field the strongest? The weakest? Explain.