



**FIGURE 26-5** Thought experiment on simultaneity. To observer  $O_2$ , the reference frame of  $O_1$  is moving to the right. In (a), one lightning bolt strikes the two reference frames at  $A_1$  and  $A_2$ , and a second lightning bolt strikes at  $B_1$  and  $B_2$ . (b) A moment later, the light from the two events reaches  $O_2$  at the same time, so according to observer  $O_2$ , the two bolts of lightning strike simultaneously. But in  $O_1$ 's reference frame, the light from  $B_1$  has already reached  $O_1$ , whereas the light from  $A_1$  has not yet reached  $O_1$ . So in  $O_1$ 's reference frame, the event at  $B_1$  must have preceded the event at  $A_1$ . Simultaneity in time is not absolute.

Now suppose that observers  $O_1$  and  $O_2$  observe and measure two lightning strikes. The lightning bolts mark both trains where they strike: at  $A_1$  and  $B_1$  on  $O_1$ 's train, and at  $A_2$  and  $B_2$  on  $O_2$ 's train, Fig. 26-5a. For simplicity, we assume that  $O_1$  is exactly halfway between  $A_1$  and  $B_1$ , and that  $O_2$  is halfway between  $A_2$  and  $B_2$ . Let us first put ourselves in  $O_2$ 's reference frame, so we observe  $O_1$  moving to the right with speed  $v$ . Let us also assume that the two events occur *simultaneously* in  $O_2$ 's frame, and just at the instant when  $O_1$  and  $O_2$  are opposite each other, Fig. 26-5a. A short time later, Fig. 26-5b, the light from  $A_2$  and  $B_2$  reaches  $O_2$  at the same time (we assumed this). Since  $O_2$  knows (or measures) the distances  $O_2A_2$  and  $O_2B_2$  as equal,  $O_2$  knows the two events are simultaneous in the  $O_2$  reference frame.

But what does observer  $O_1$  observe and measure? From our ( $O_2$ ) reference frame, we can predict what  $O_1$  will observe. We see that  $O_1$  moves to the right during the time the light is traveling to  $O_1$  from  $A_1$  and  $B_1$ . As shown in Fig. 26-5b, we can see from our  $O_2$  reference frame that the light from  $B_1$  has already passed  $O_1$ , whereas the light from  $A_1$  has not yet reached  $O_1$ . That is,  $O_1$  observes the light coming from  $B_1$  before observing the light coming from  $A_1$ . Given (1) that light travels at the same speed  $c$  in any direction and in any reference frame, and (2) that the distance  $O_1A_1$  equals  $O_1B_1$ , then observer  $O_1$  can only conclude that the event at  $B_1$  occurred before the event at  $A_1$ . The two events are not simultaneous for  $O_1$ , even though they are for  $O_2$ .

We thus find that two events which take place at different locations and are simultaneous to one observer, are actually not simultaneous to a second observer who moves relative to the first.

It may be tempting to ask: "Which observer is right,  $O_1$  or  $O_2$ ?" The answer, according to relativity, is that they are *both* right. There is no "best" reference frame we can choose to determine which observer is right. Both frames are equally good. We can only conclude that *simultaneity is not an absolute concept*, but is relative. We are not aware of it in everyday life, however, because the effect is noticeable only when the relative speed of the two reference frames is very large (near  $c$ ), or the distances involved are very large.

*Simultaneity is relative*

**EXERCISE A** Examine the experiment of Fig. 26-5 from  $O_1$ 's reference frame. In this case,  $O_1$  will be at rest and will see event  $B_1$  occur before  $A_1$ . Will  $O_1$  recognize that  $O_2$ , who is moving with speed  $v$  to the left, will see the two events as simultaneous? (*Hint*: draw a diagram equivalent to Fig. 26-5.)