If the wheels and tires of the car are rolling normally without slipping or sliding, the bottom of the tire is at rest against the road at each instant; so the friction force the road exerts on the tires is static friction. But if the static friction force is not great enough, as under icy conditions, sufficient friction force cannot be applied and the car will skid out of a circular path into a more nearly straight path. See Fig. 5-12. Once a car skids or slides, the friction force becomes kinetic friction, which is less than static friction.

EXAMPLE 5-6 Skidding on a curve. A 1000-kg car rounds a curve on a flat road of radius 50 m at a speed of 50 km/h (14 m/s). Will the car follow the curve, or will it skid? Assume: (a) the pavement is dry and the coefficient of static friction is $\mu_s = 0.60$; (b) the pavement is icy and $\mu_s = 0.25$.

APPROACH The forces on the car are gravity mg downward, the normal force F_N exerted upward by the road, and a horizontal friction force due to the road. They are shown in Fig. 5-13, which is the free-body diagram for the car. The car will follow the curve if the maximum static friction force is greater than the mass times the centripetal acceleration.

SOLUTION In the vertical direction there is no acceleration. Newton's second law tells us that the normal force F_N on the car is equal to the weight mg since the road is flat:

$$F_{\rm N} = mg = (1000 \,\text{kg})(9.8 \,\text{m/s}^2) = 9800 \,\text{N}.$$

In the horizontal direction the only force is friction, and we must compare it to the force needed to produce the centripetal acceleration to see if it is sufficient. The net horizontal force required to keep the car moving in a circle around the curve is

$$(\Sigma F)_{\rm R} = ma_{\rm R} = m\frac{v^2}{r} = (1000 \,{\rm kg}) \frac{(14 \,{\rm m/s})^2}{(50 \,{\rm m})} = 3900 \,{\rm N}.$$

Now we compute the maximum total static friction force (the sum of the friction forces acting on each of the four tires) to see if it can be large enough to provide a safe centripetal acceleration. For (a), $\mu_s = 0.60$, and the maximum friction force attainable (recall from Section 4–8 that $F_{fr} \leq \mu_s F_N$) is

$$(F_{\rm fr})_{\rm max} = \mu_{\rm s} F_{\rm N} = (0.60)(9800 \,{\rm N}) = 5900 \,{\rm N}.$$

Since a force of only 3900 N is needed, and that is, in fact, how much will be exerted by the road as a static friction force, the car can follow the curve. But in (b) the maximum static friction force possible is

$$(F_{\rm fr})_{\rm max} = \mu_{\rm s} F_{\rm N} = (0.25)(9800 \,{\rm N}) = 2500 \,{\rm N}.$$

The car will skid because the ground cannot exert sufficient force (3900 N is needed) to keep it moving in a curve of radius 50 m at a speed of 50 km/h.

The possibility of skidding is worse if the wheels lock (stop rotating) when the brakes are applied too hard. When the tires are rolling, static friction exists. But if the wheels lock (stop rotating), the tires slide and the friction force, which is now kinetic friction, is less. More importantly, the direction of the friction force changes suddenly if the wheels lock. Static friction can point perpendicular to the velocity, as in Fig. 5-13b, but if the car slides, kinetic friction points opposite to the velocity. The force no longer points toward the center of the circle, and the car cannot continue in a curved path (see Fig. 5-12). Even worse, if the road is wet or icy, locking of the wheels occurs with less force on the brake pedal since there is less road friction to keep the wheels turning rather than sliding. Antilock brakes (ABS) are designed to limit brake pressure just before the point where sliding would occur, by means of delicate sensors and a fast computer.



FIGURE 5-12 Race car heading into a curve. From the tire marks we see that most cars experienced a sufficient friction force to give them the needed centripetal acceleration for rounding the curve safely. But, we also see tire tracks of cars on which there was not sufficient force-and which followed more nearly straight-line paths.

FIGURE 5-13 Example 5-6. Forces on a car rounding a curve on a flat road. (a) Front view, (b) top view.





